Modeling, Simulation and Control Studies on Photovoltaic-Converter System for Mechatronics Design of Solar Electric Application

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Abstract—This paper presents some considerations regarding design, modeling and control solutions for Photovoltaic Panel-Converter (PVPC) system. Different control approaches and corresponding models are derived, developed and tested, to control output characteristics and performance of both overall PVPC system and each subsystem to meet desired output characteristics, performance and both or either voltages and currents requirements. The proposed approaches and models allow designer have the maximum output numerical visual and graphical data to select, evaluate and control the PVPC system output characteristics for a given PVPC system parameters, under given working conditions of PV panel. The proposed models and approaches were implemented and tested in MATLAB/Simulink.

Index Terms—Mechatronics, Photovoltaic (PV) Cells, DC/DC Converter, Modeling, Simulation

I. INTRODUCTION

Modeling, simulation, analysis and evaluation processes in Mechatronics design consists of two levels; sub-systems models and whole system model with various sub-system models interacting similar to real situation, the subsystems models and the whole system model, are tested and analyzed, for desired system requirements and performance [1]. For Mechatronics design of solar electric applications, this paper extends writer's previous works, [2-3] and proposes Photovoltaic-Converter (PVPC) system control issues for Mechatronics solar electric application design, analysis and verification. Different control approaches and corresponding models are to be derived, implemented, and tested to control the output characteristics and performance of PVPC system's and load's, both or either, voltages and currents to meet desired values. The proposed approaches and models allow designer have the maximum output data to select, design, control, test and analyze the PVPC system output characteristics for desired outputs under given PV panel parameters, working conditions and variable input from PV module, to meet particular solar electric application requirements. The proposed circuit and control block diagrams models of proposed PVPC system control approaches are shown in Fig.1, the PV panel and converter parameters used in simulations are listed in Table 1.
II. PVPC SYSTEM MODELING

Approaches are shown in Fig.1, the PV panel and converter parameters used in simulations are listed in Table 1.

The proposed system consists of three subsystems shown in Fig.1, including: PV panel, DC/DC converter with battery and control subsystems. A detailed description, fundamentals, mathematical and Simulink models of PV cell-panel and converters can be found in many recourses including [2-25] The PVPC system mathematical and Simulink models considered in this paper, are in reference to [2-3].

A. PV panel system modeling

The simplest equivalent circuit of a PV solar cell consists of a diode, a photo current, a parallel resistor expressing a leakage current, and a series resistor describing an internal resistance to the current flow all is shown in Fig.2(a), the output voltage, current and power of PV array vary as functions of solar irradiation level $\beta$, the temperature of the module $T$, (output decreases as temperature rises) and load current or the voltage at which the load is drawing power from the module.

**The output net current of PV cell $I_a$,** referring to [2] and (a), is given by Eqs.(1)\(wqw\),

$$I_a = I_{ph} - I_s \left( e^{\left( \frac{q(V + R_s I)}{NKT} \right)} - 1 \right) - \frac{V + R_s I}{R_{ph}}$$  \(1\)

**The cell photocurrent $I_{ph}$**, is given by Eq.(2):

$$I_{ph} = (I_{ph} + K_T (T - T_{ref})) \frac{\beta}{1000}$$  \(2\)

**The cell saturation current $I_s$**, varies with the cell temperature, which is described as by Eq.(3)
\[ I_s(T) = I_s \left(\frac{T}{T_{ref}}\right)^3 e^\left[\frac{1}{(T_{ref}/F)^{NKT}}\right] \]  

(3)

The reverse saturation current \( I_s \) at reference temperature can be approximately obtained by Eq.(4):

\[ I_s(T) = I_s \left(\frac{T}{T_{ref}}\right) \left(\\ \exp\left(\frac{q\phi_v}{NKT} + 1\right) - 1\right) \]  

(4)

In the basic equation to represent the actual I-V characteristics of a practical PV module and to pick up real operation losses, a third current based on \( R_s \) and \( R_{sh} \), called shunt current \( I_{sh} \) and given by Eq.(5), is added:

\[ I_{sh} = \frac{V + R_s I}{R_{sh}} \]  

(5)

Based on derived equations, the net current of the cell given by Eq.(1) and depends on the PV cell voltage \( V \), solar irradiance \( \beta \) on PV module, and ambient temperature \( T \). The power produced by a single PV cell is not enough for general use, where, each solar cell generates approximately 0.5V; therefore the PV cells are connected in series-parallel configuration [2]. The current output of given PV module considering the number of parallel and series connections of cells (\( N_s \), \( N_p \)) is given by Eq.(6)

\[ I = N_p I_{ph} - N_s I \left(\exp\left(\frac{q\varphi_v}{NKT}\right) - 1\right) \]  

(6)

The PV cell efficiency is insensitive to variation in shunt resistance \( R_{sh} \), the effect of parallel resistance \( R_{sh} \) can be neglected in Eq. (1), to have the form, given by Eq.(7)

\[ I = I_{ph} - I \left(\exp\left(\frac{q\varphi_v}{NKT}\right) - 1\right) \]  

(7)

The maximum PV voltage can be represented by Eq. (8),

\[ V = \frac{NKT}{q} \ln \left(\frac{I_{ph} + I + I_s}{I_s}\right) - R_s \]  

(8)

Based on these equations, and referring to [2], Simulink model shown in Fig.2 is developed, with corresponding two mask-blocks shown in Fig.2(c)(d), also, based on derived equations, PV module can be represented in MATLAB/Simulink using user defined function block as shown in Fig.2(b), where the PV system is given as a function of \( (V,I) = f(V,G,T) \) with three inputs \( V, \beta, \) and \( T \) and two outputs; PV voltage and current. In this model, a low pass filter is added to convert static model into a dynamic model (and to overcome algebraic loop problem). The transfer function of low-pass filter is given by Eq.(9), with prefilter the current output of given PV module function model, will be given by Eq.(10), where the current now is prefilter current.

\[ G(s) = \frac{I_{filter}}{\frac{I_{pv}}{s}} = k \frac{1}{Ts + 1} \]  

(9)

\[ \frac{1}{I} = N_p \left(\frac{I_{ph}}{I_s}\right) - N_s I \left(\exp\left(\frac{NKT}{N_s} - 1\right) + \frac{N_s V}{N_s} + \frac{R_s I_{filter}}{R_{sh}} \right) \]  

(10)

For Mechatronics design of solar electric applications, model shown in Fig.2(d), is modified to result in a generalized PV module and shown in Fig.2(e) [2], this generalized model returns the maximum required numerical, visual and graphical data for design, analysis and verification of a given PV panel for given parameters, manufacturing tolerance and working conditions.

Running this model for PV subsystem parameters given in Table 1, including \( Np=36, Np=30 \), cell surface area \( A=0.005 \ m^2 \), at \( \beta=200 \), \( T=50 \), will return P-I and V-I characteristics shown in Fig.2(e) and visual data results shown in Fig.2(e), including: PV panel output voltage 24 V, panel output current 43.13 A, cell volt \( V=0.5 \), , cell current=1.43 A, cell input and output powers, efficiency and fill factor. P-I and V-I characteristics shown in Fig.2(e)(f) show that, this is 0.755 Watt PV cell, \( I_{ph} = 1.43 \ A, V_{ref} = 0.587V, I_{max} = 1.51 A, V_{max} = 0.5 \ V, (MPP = I_{max} * V_{max} = 0.755)\). The P-V and I-V curves, show that with increase in temperature at constant irradiation, the power output reduces, also, by increasing operating temperature, the current output increases and the voltage output reduces.

Fig. 2 (a) Single diode (exponential) model of the PV model

Fig. 2 (b) Typical characteristic I-V and P-V curve of a practical photovoltaic device and the three remarkable points [2]
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Fig. 2(c) PV cell (panel) MATLAB/Simulink subsystem model [2].

Fig. 2(d) PV cell (panel) MATLAB/Simulink subsystem model as used defined function [2]

Fig. 2(e) PV cell MATLAB/Simulink model [2]

Fig. 2(f) Generalized PV Cell-Panel models
B. DC/DC Converter system modeling.

Converters can be classified into three main types: step-up, step-down and step up and down. Most used and simple to model and simulate DC/DC power converter include Boost, Buck and buck-boost converters. [2-3]. In this paper step-down DC/DC Buck converters is used. In [2], different models of Buck converter are derived, developed in Simulink and tested, including Buck converter circuit diagram shown in Fig.3(a) and Simulink sub-models and masks shown in Fig.3(b)(c).

![Fig.3(a) Buck converter circuit diagram][2]
C. Generalized PVPC system model

In [2] generalized Photovoltaic panel-Converter (PVPC) system Simulink model, shown in Fig.4(a), is developed by integration both PV panel and converters subsystems sub-models shown in Fig.3 and Fig.2 (e) with corresponding sub-models of subsystems shown in Fig.4(b). Another similar PVPC system Simulink model, is proposed and shown in Fig.4(c) will also be used to save space in present paper.

Generalized PVPC system model shown in Fig.4(a), will be used in this paper to select, apply, test and analyze different control approaches to control output characteristics to meet desired values, the inputs to this model are solar irradiation $\beta$, $T$, $V$, cell surface area $A$, $N_s$, $N_p$ and duty cycle $D$, by which the converter will operate to control outputs. The outputs of this generalized model are the maximum data required to test and analyze PVPC system characteristics including: P-I and P-V characteristics, the overall system, as well as each subsystem output current and voltage, voltage, currents, power and efficiency (this is shown in Fig.4(a)). Running this model for defined parameters in Table 1 will return the same visual numerical values shown in Fig.4(a) and P-I and P-V characteristics shown in Fig.2 (e)(f).

![Generalized PVPC system model](image-url)
III. PVPC SYSTEM PROPOSED CONTROL APPROACHES

A. Maximum Power Point, MPP and tracking MPPT

The power delivered by a PV system is dependent on the irradiance $\beta$, temperature $T$, and the current drawn from the cells $V$. To maximize a PV system’s output power, it is necessary continuously tracking the maximum power point (MPP) in the I-V characteristic of the PV system, therefore, in a direct-coupled to the PV array systems, the PV array must usually be oversized to ensure that the load’s power requirements can be
supplied, this lead to an overly expensive system. To overcome this problem, a switch-mode power converter, can be used to maintain the PV’s operating point at the Maximum Power Point MPP. The Maximum Power Point tracker MPPT, does this by controlling the PV array’s voltage or current independently of those of the load [20].

**Maximum Power Point, MPP.** is the operating point at which the power is maximum across the load and given by Eq.(11):

$$P_{\text{max}} = V_{\text{max}} \times I_{\text{max}} \tag{11}$$

**Efficiency** of solar cell is the ratio between the maximum power $P_{\text{max}}$ and the incident light power, and given by Eq.(12), where $P_{\text{in}}$ is taken as the product of the solar irradiation of the incident light ($G=\beta/1000$), measured in W/m², with the surface area ($A$) of the solar cell in m² [22], and given by Eq.(13)

$$\eta = \frac{P_{\text{out}}}{P_{\text{in}}} = \frac{P_{\text{max}}}{P_{\text{in}}} \tag{12}$$

$$P_{\text{in}} = A \times \frac{\beta}{1000} \tag{13}$$

To make best use of PV system, the output is maximized in two ways. The first is mechanically tracking the sun and always orienting the panel in such a direction as to receive maximum solar radiation under changing positions of the sun. The second is electrically tracking the operating point by manipulating the load to maximize the power output under changing conditions of insolation and temperature [23-26].

**A maximum power point tracker (MPPT) is a technique used to get the maximum possible power from PV system, it is a high efficiency DC/ DC converter which functions as an optimal electrical load for a PV cell, most commonly for a solar panel or array, and converts the power to a voltage or current level which is more suitable to whatever load the system is designed to drive [23]**. The goal of the MPPT is to match the impedance of load to the optimal impedance of PV array, the block Diagram of MPPT tracker is similar to one shown in Fig.1(a). In order to operate a PV system within its MPP, a maximum power point tracking algorithm is needed to search and maintain the peak power [4], the MPP in the I-V characteristic is not known a priori. It must be located, either through model calculation or by search algorithm, different MPPT algorithms are proposed in different sources [16-21]. Most of the MPPT algorithms search the MPP by comparing the output power of the PV module before, and after the duty cycle of the converter is changed [18], this algorithm can be explained as follows: Referring to Fig.2 (I), the property that is utilized to track the MPP, is based on that, from the shown shape of P-V characteristic, is that the slope $(dP/dV)$ of P-V curve becomes zero at the MPP, where the slope $(dP/dV)$ is the derivative of the PV module’s power with respect to its voltage, and has the following relationships with the MPP.

$$\text{slope} \left| _{\text{MPP}} \right. = \frac{dP}{dV} = 0 \tag{14}$$

$$\frac{dP}{dV} > 0 \quad \text{at the left of MPP} \tag{15}$$

$$\frac{dP}{dV} < 0 \quad \text{at the right of MPP} \tag{16}$$

This equation can be written in terms of voltage and current as follows:

$$\frac{dP}{dV} = \frac{d(V*I)}{dV} = I + V \frac{dI}{dV} = I + V \frac{dl}{dV} \tag{17}$$

Based on this, for the operating point is at the MPP:

$$\text{slope} \left| _{\text{MPP}} \right. = \frac{dP}{dV} = I + V \frac{dl}{dV} = 0$$

$I + V \frac{dl}{dV} = 0 \Rightarrow \frac{dl}{dV} = - \frac{l}{V}$

For the operating point at the left side of the MPP:

$$\text{slope} \left| _{\text{left MPP}} \right. = \frac{dP}{dV} = I + V \frac{dl}{dV} > 0$$

$I + V \frac{dl}{dV} > 0 \Rightarrow \frac{dl}{dV} > - \frac{l}{V}$

For the operating point at the right side of the MPP:

$$\text{slope} \left| _{\text{right MPP}} \right. = \frac{dP}{dV} = I + V \frac{dl}{dV} < 0$$

$I + V \frac{dl}{dV} < 0 \Rightarrow \frac{dl}{dV} < - \frac{l}{V}$

Practically, as shown in Fig.5(a),(d), Voltage is adjusted and power output is sensed; Voltage is increased as long as $dP/dV$ is positive. If $dP/dV$ is sensed negative, the operating voltage is decreased, if $dP/dV$ is near zero, the voltage is held adjusted.

Based on this, for any temperature and solar irradiation level, the proposed controller circuit is shown in Fig.5(b), where the output power is obtained by multiplying $I_{PV}$ by $V_{PV}$, the power signal is derived $(dP/dt)$, also the $V_{PV}$ is derived and then inverted to obtain signal $I/(V_{PV}/dt)$, then to obtain signal $(dP/dV_{PV})$ is obtained by multiplying $1/(dV_{PV}/dt)$ by $dP/dt$, finally the signal $(dP/dV_{PV})$ is compared to zero and result is fed to PI controller.

**Similarly** can be accomplished as follows; the power output of a PV system is given by:

$$P = V \times I$$

With incremental change in current $\Delta I$, and voltage $\Delta V$, the modified power is given by Eq.(14), by solving and then ignoring small terms, Eq.(14) simplifies to Eq.(15), since no changes power at peak point, that is $\Delta P = 0$, by manipulating and in the limits , will result in Eq.(mnb)

$$\left( P + \Delta P \right) = \left( V + \Delta V \right) \times \left( I + \Delta I \right)$$

$$\Delta P = \Delta V \times I + \Delta I \times I$$

$$\Delta V \times I = -\Delta I \times I$$

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From this equation, two expressions may be used to calculate the error in power to be zero ($\Delta P = 0$)

\[
\frac{\Delta V}{\Delta I} = \frac{dV}{dI} = \frac{V}{I},
\]

\[
\frac{dV}{dI} = \frac{V}{I}
\]

Similarly

\[
\frac{\Delta I}{\Delta V} = \frac{dI}{dV} = \frac{I}{V},
\]

\[
\frac{dI}{dV} = \frac{I}{V}
\]

Maximum power point is obtained when $\frac{dI}{dP} = 0$.

The present value and the previous value of the solar module voltage and current are used to calculate the values of $dI$ and $dP$.

**Perturb and observe algorithm:** A detailed Simulink model of perturb and observe algorithm is shown in Fig. 5(e). The $V_{PV}$ and $I_{PV}$ are taken as the inputs to MPPT unit, duty cycle $D$ is obtained as output. In this perturb and observe algorithm a slight perturbation is introduced to the system. Due to this perturbation the power of the module changes. If the power increases due to the perturbation then the perturbation is continued in that direction, after the peak power is reached the power at the next instant decreases and hence after that the perturbation reverses. When the steady state is reached the algorithm oscillates around the peak point [20]
**B. Matching converter’s output (load’s) current**

The Generalized Photovoltaic panel-Converter (PVPC) system shown in Fig.4(a) can be used to match the load’s current. This is accomplished by introducing the output load as both load resistance $R_{\text{Load}}$ and load current $I_{\text{Load}}$ to be matched, the proposed approach is shown in converter subsystem model in Fig.6(a), and Fig.6(b)(c), using feedback, the comparison between load’s and converter's currents is used to match the currents, where the output load is introduced as load resistance $R_{\text{Load}}$, multiplied by converter output voltage resulting in load current $I_{\text{Load}}$ (see Fig.6(b)), which is feedback to converter and compared with the converter output current $I_{\text{Conv}}$, the difference is used to match the load's current.

Running this model for defined parameters in Table 1 and load resistance of $R_{\text{Load}} = 5 \Omega$, will result in matching the output load current of 2.396 A, converter’s output voltage of 11.99 V, efficiency 0.4999. Using the moderate accuracy Simulink model of buck converter shown in Fig.6(d), and applying the same approach, similar results are obtained.

![Fig.6(a) comparing load and converters currents to match load current](image1)

![Fig.6(b) Part of generalized model showing; the load resistance $R_{\text{Load}}$ multiplied by converter output voltage resulting in load current (2.401 A), which is feedback to converter and compared with the converter output current](image2)

![Fig.6(c) Part of generalized model showing, the converter output current = 2.401 A](image3)
C. Controlling the converter’s output voltage to meet desired output (load) voltage

The block diagram of proposed system is shown in Fig.7(a), the generalized PVPC system model is used, and modified as shown to include control system and approach. The corresponding Simulink model is shown in Fig.7 (b). Generally, the duty cycle $D$ is given by Eq.(17):

$$
\frac{V_{out}}{V_{in}} = D = \frac{I_{out}}{I_{in}} \Rightarrow V_{out} = D \times V_{in}
$$

$$
\Rightarrow D = \frac{T_{on}}{T_{on} + T_{off}} = \frac{T_{on}}{T}
$$

$$
(V_{in} - V_{out}) \frac{T_{on}}{T} = V_{out} (T - T_{on})
$$

Correspondingly, the buck converter voltages equation is given by Eq.(18):

$$
V_{out} = D \times V_{in}
$$

By varying the duty cycle $D$, of the converter switch, the converter output voltage $V_{out}$ can be controlled, in the proposed model, the duty cycle $D$ cycle is calculated automatically as the ratio of converter's output to desired output voltage, and given by Eq.(19). The desired converter output voltage and the converter actual output voltage are compared to calculate the error signal, used by PI controller to drive the converter switch according to the calculated duty cycle. The PV panel is given as a function of $V = f(V,G,T)$, the load current $R_{load}$ is not considered.

$$
D = \frac{V_{Conv\_out\_desired}}{V_{Panel\_out}}
$$

Testing the proposed model for desired converters output voltage $V_{out\_desired}= 12 \text{ V}$, at irradiation $B= 200$ and temperature $T=75$, and PVPC system parameters values defined in Table 1, will result in all data required to analyze the PVPC system performance and outputs, including converter output volts of $12 \text{ V}$, PV panel output voltage of $24 \text{ V}$, and duty cycle of $D=0.5$, these values and other are numerically shown in Fig.7 (b), the plots of PV panel output voltage, converter output voltage and converter output current are shown in Fig.7(c), the control signal is shown in Fig.7(d). Since the converter desired output voltage and converter actual output voltage are compared and used by PI-controller, the D block can be removed and the controller will generate the D signal to control Converter to meet desired output voltage.

Fig.7 (a) Block diagram installation of proposed control system

Fig.7 (b) the simulation of control system
D. Controlling the converter's output voltage to meet desired output voltage according to the measured load current.

The block diagram of proposed system is shown in Fig.8(a). The corresponding Simulink model is shown in
Fig. 8 (b)(c). In the proposed model, the duty cycle D, is calculated by model automatically, by dividing the PV panel output voltage over desired converter output voltage.

Converter's output voltage and current are measured, the Converter's current is compared with PV panel output current and the difference is feedback to PV panel to calculate the PV panel output voltage, where PV panel is given as a function of $V = f(I, G, T)$, with two outputs including PV panel current, the generated PV panel voltage is fed to converter. The PI controller measures the error between desired output voltage and converter actual output voltage and used it to drive the converter to meet desired output voltage.

Testing the proposed model for values of $V_{out\_desired} = 6\, V$, at irradiation $B = 200\, \text{W/m}^2$ and input temperature $T = 75\, ^\circ\text{C}$, will result in output volts of $6\, V$, output current of $0.7203\, \text{A}$, duty cycle of $D = 0.25$, these values and other are visually shown in Fig. 8 (b)(c), the plots of PV panel output voltage, converter output voltage and converter output current are shown in Fig. 8 (d), the control signal is shown in Fig. 8 (e).

![Fig. 8(a) block diagram installation of proposed control system](image)

![Fig. 8(b) control system model](image)

![Fig. 8(c) model for Controlling the converter's output voltage to meet desired output (load) voltage according to the measured load current](image)
E. Controlling both PV panel’s and converter’s output voltages based on the converter’s output current.

The block diagram of proposed system is shown in Fig.9(a), the corresponding Simulink model is shown in Fig.9 (b). In proposed model, the converter’s output voltage and current values are measured, the PV panel output voltage is controlled and calculated according to the measured converter’s output current, where the converter’s output current is fed to PV panel, which is given as a function of $V = f(I,B,T,V)$. Both, the PV panel output voltage and the converter’s output voltage are fed to PI controller, to calculate the error between them, and generate an appropriate both control signal and duty cycle $D$, by which the converter will be controlled.

Testing the proposed model for load current values, at irradiation $β=200$ and temperature $T=75^°C$, will result in output volts of 24 $V$ of both PV panel and converter and converter output current of 2.881 $A$ and control signal of 1.001, the control signal is shown in Fig.9 (e)

## Fig.9 (c) model output readings; voltage, converter output voltage and current

## Fig.9 (d) Control signal with D block inserted

## Fig.9 (e) Control signal without duty cycle D block
F. Sub-block to test and analyze the effect of feeding PVPC system output currents to PV panel to control or match converters outputs.

To study and analyze the effect of feeding any or combination of converter and PV panel currents to PV panel, the model shown in Fig. 10 is used, where switches are used to select the desired current to be fed to PV panel, which is given as a function of $V = f(I,B,T,V)$, to generate the panel volt.

As shown in Fig.10, The load is introduced as resistance $R_{load} = 5$ ohm, the duty cycle $D$ cycle is calculated in two ways and the switch 4 is to select between them, first model automatically, calculate $D$ by Eq.(20), or by Eq.(21) as the ratio of converter's output voltage and defined desired output voltage

$$D = \frac{V_{Conv\_out}}{V_{Panel\_out}}$$  \hspace{1cm} (20)

$$D = \frac{V_{Conv\_out\_desired}}{V_{Panel\_out}}$$  \hspace{1cm} (21)

Testing the model for Matching converter's output voltage by feeding to PV panel the current difference between the converter's and PV panel output currents, shows by switching switches 2 and 3 to pass the current difference to PV panel, will result in converter's output voltage of 24 V and current of 2.881 A (Fig.10)
Testing the model for Matching converter's output current, shows; By feeding converter's output current to PV panel by switching switches 1, 2 and 3 to pass only, the converter' output current can be matched to have the value of 2.881 A and voltage of 24 V. Similarly, these switches can be used to study the effect of feeding different values to PVPC system.

\[ V_{in} = \frac{V_{out}}{D} \Rightarrow I_{out} = D \times V_{in} \Rightarrow I_{out} = \frac{I_{in}}{D} \]

Testing the proposed model for desired output converter's voltage 18V, at irradiation \( \beta = 200 \) and temperature \( T = 75 \), will result in converter's output voltage of 18V and converter-load current of 2.161 A. PV-panel output current of 2.161 A, these values are held...
constant, other values are visually shown in Fig.12(a), the plots of PV panel output voltage, converter output voltage and converter output current are shown in Fig.12(b), the control signals are shown in Fig.12(c).
H. Controlling the converter’s both output voltage and current to meet both voltage and current.

The proposed Simulink model shown in Fig.11 (a), can be modified to have the form shown in Fig.13 (a)(b) , and be used to control both converter's both output voltage and current, the converter's output voltage is compared with PV panel output voltage and the difference is fed to PI voltage controller to generate signal to control converter to result in desired converter's output voltage. Similarly the converter’s output current is compared with PV panel output current, the difference is fed to second PI current controller to generate signal to control converter to result in desired current.

Testing the proposed model for meeting both output converter's voltage and current at irradiation $\beta=200$ and temperature $T=75$, and defined in Table 1 parameters, will result in panel's and converter's output voltage of 24V and current of 2.874 A, other values are visually shown in Fig.13 (a) , the plots of PV panel output voltage, converter output voltage and converter output current are shown in Fig.13 (c), the control signals are shown in Fig.13 (d), tuning PI current control will reduce time to steady state error and result in control signals shown in Fig.13 (e).
a. Controlling converter's output current to match PV panel output current

The approach is shown in Fig.14 using two different representations of buck converters (simplified and refined buck converters models taken from reference [2]), in this approach, the panel output filter current is fed, simultaneously, to the PV panel which is given as a function of two inputs and two outputs, and the PV current is compared with converter current, and the difference is feedback to PI controller to drive the converter switches with duty cycle D, to result in desired output current. Testing this model for defined parameters in Table 1, will result in output current of 8.748 A, of both converter and PV panel, these values are shown in visual data readings in Fig.14.

b. Controlling output current of all three subsystems to match load output current

The proposed Simulink model is shown in Fig.15, this accomplished by introducing output load as load resistance $R_{load}$ and load current $I_{load}$ to be matched, the output load resistance $R_{load}$ is multiplied by converter output voltage resulting in load current $I_{load}$, which is compared with the converter output current $I_{conv}$, the difference is feedback to converter and used to match the load current. On the other hand the PV panel output current is compared with converter output current and the difference is used by PI control to math both currents.

Testing this model for defined parameters in Table 1, and load resistance $R_{load} = 1.6$ Ohm, will and current of 8.747 A, will result in matching and subsystems current to be 8.747 A and converters output voltage of 13.99 V at duty cycle of $D=0.5$, these all are shown in visual data readings in Fig.15.

IV. CONCLUSION

Different control approaches and corresponding models are derived, developed and tested, to control both outputs of overall Photovoltaic-converter system and each subsystem outputs, for a given system parameters, under given working conditions and variable input from PV panel, to meet overall PVPC system desired output characteristics, performance and desired values of voltage and current. The proposed models and control approaches were implemented and tested using MATLAB/Simulink.

As a future work, Photovoltaic-Converter system to developed, the proposed scenarios to be tested.
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Fig. 14(a) PV panel as user defined function, with simplified converter model for controlling output current of 8.784 A

Fig. 14(b) controlling currents 8.748 A using refined converter model
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